

# Engineering and Science: How They Differ, and Why We Need This Difference

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# 1. Outline of the Talk

- *Idea* (Tchoshanov): clearly distinguish between “engineering” and “scientific” parts of education.
- *Situation*: this idea is not yet universally accepted.
- *What is needed*: a better understanding of the main ideas behind – and the need for – this distinction.
- *What we do*: we overview how (and why) natural sciences and traditional engineering are separated.
- *How we do it*: we describe the ideas behind the separation in very general terms.
- *Why*: to make it easier to extend these ideas (and their advantages) to education.

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## 2. Original Approach: Full Cognition

- *Original idea*: a good scientist (priest, witch, etc.) can predict everything.
- *Example*: ask oracles whether to start a war.
- *Example*: an Egyptian army marching towards an enemy could stop if the scarab beetles behave wrongly.
- *Example*: astronomer Ticho Brahe (16 cent.) was tasked to predict the fate of individuals – by horoscopes.
- *Another side of the coin*: how did they build cathedrals?
  - *idea*: we start building ten cathedrals, nine collapse, one remains standing for centuries;
  - *explanation*: God is punishing us for our sins.

### 3. Changes

- *Reminder*: two approaches:
  - everything is pre-determined, and
  - everything is determined by the God.
- *In both cases*: feeling that not much we can do.
- *This made sense*: in Dark Ages, when not much progress was made.
- *Industrial revolution*: changes everything by showing that rapid progress is possible.
- *Empirical fact*:
  - some things can be predicted (e.g., wind causes waves);
  - some things cannot be predicted (e.g., shapes of the waves).

## 4. From Full Cognition to Laplace Determinism

- *Empirical fact* (reminder):
  - some things can be predicted (e.g., waves);
  - some things cannot be predicted (e.g., their shapes).
- *Two consequences*:
  - notion of *randomness* (impossibility to predict);
  - idea of *Laplace determinism*: once we know the current state, we can predict the future.
- *In the past*: if you want to build a cathedral, just try building it.
- *New methodology*:
  - first, we need to know how things change (*science*);
  - then, we need to use this knowledge to design new things and processes (*engineering*).

## 5. Science and Engineering: Important Difference

- *Science* explains how the world changes.
- *Engineering* explains how to change the world the way we want it to change.
- *Karl Marx*: one of the first to understand the difference – and to apply it to social sciences as well.
- *Problem*: this separation is not well understood by the public.
- *Result*: engineering profession is not as respected.
- *Example*: a computer or a cell phone are engineering achievements.
- *However*: the small size of a cell phone is possible since we have science of antenna propagation.
- *Example*: atomic bomb was mostly engineering, but science was also needed (e.g., in isotopes separation).

## 6. Science and Engineering: Why We Need Both

- *What American kids are taught*: “scientific method”:
  - we formulate a hypothesis;
  - we test it.
- *Classical example*:
  - Edison tested hundreds of substances, and
  - found that Tungsten (Wolfram) works best.
- *What was it*: blind exhaustive search.
- *It was possible*: to find a material from hundreds possible.
- *It is not possible*: to find one of trillions of shapes of a cell phone antenna (or a medicine).
- *What is needed*: first, a scientific theory to predict the effect of different shapes (or different medicines).

## 7. Science and Engineering: Why We Need Both

- *At first glance:* we want to solve practical problems, let us do practical science.
- *Historical examples* of such short-sightedness:
  - Napoleon refused to finance a silly thing called steamship;
  - Stalin refused to finance a silly thing called atomic bomb;
  - Hitler prohibited working on a silly project called a ballistic missile.
- *After the successes:* the pendulum swung the other way:
  - V. Fock and L. Landau released from Gulag;
  - A. Sakharov (“Vasia”) allowed to play ping-pong at work.



## 8. From Anecdotes to a Serious Analysis

- *What we have:*
  - results  $y_i$  or using designs  $x_i$ ,  $i = 1, \dots, n$ ;
  - desired results  $y'_1, \dots, y'_m$ .
- *What we want:* designs  $x'_j$  that lead to results  $y'_j$ .
- *Technical example:*
  - we know electromagnetic (EM) fields  $y_i$  generated by different antenna shapes  $x_i$ ;
  - we need shapes  $x'_j$  for cell-phone EM fields  $y'_j$ .
- *Pedagogical example:*
  - we know the results  $y_i$  of applying different teaching strategies  $x_i$  to different students;
  - we need to find teaching strategies  $x'_j$  to achieve desired results  $y'_j$  for our students.

## 9. Why Separation into Science and Engineering

- *What we have* (reminder):
  - results  $y_i$  or using designs  $x_i$ ,  $i = 1, \dots, n$ ;
  - desired results  $y'_1, \dots, y'_m$ .
- *What we want*: designs  $x'_j$  that lead to results  $y'_j$ .
- *Problem*: we have a huge amount of data.
- *Solution*: separate the problem into steps so that we only process *some* data on each step:
  - first, we use  $x_i$  and  $y_i$  to find a relation  $f(x)$  for which  $f(x_i) = y_i$  (*science*);
  - then, for each  $j = 1, \dots, m$ , knowing  $f(x)$  and  $y'_j$ , we find  $x'_j$  for which  $f(x'_j) = y'_j$  (*engineering*).
- In this way, we only process some of the data at the same time: the traditional divide-and-conquer idea.

## 10. Beyond Separation into Science and Engineering

- *Remaining problem:* on the science stage, we still need to process all pairs  $(x_i, y_i)$ .
- *Natural solution:*
  - separate pairs into clusters (e.g., with similar  $x_i$ );
  - find  $f(x)$  for each cluster; and
  - combine these “local” relations into a global one.
- *Similarity in physical terms:*  $x_i \sim x_k$  if a simple transformation turns  $x_i$  into  $x_j$ .
- *In this case:* the goal is to find what transformation turns  $y_i$  into  $y_j$ .
- *Name of this approach:* symmetries.

## 11. Symmetries: Example

- *Problem:* find a period  $T$  of a pendulum of length  $L$  on a planet with free fall acceleration  $g$ .
- *Symmetry:* if we change a unit of length to a one  $\lambda$  times smaller, we get  $L' = \lambda \cdot L$ ; e.g., 1.7 m = 170 cm.
- *Symmetry:* if we change a unit of time to a one  $\mu$  times smaller, we get  $T' = \mu \cdot T$ .
- Under these transformations,  $g \rightarrow g' = \lambda \cdot \mu^{-2} \cdot g$ .
- *Idea:* find a function  $f(L, g)$  for which  $T = f(L, g)$  implies  $T' = f(L', g')$ , i.e.,  $f(\lambda \cdot L, \lambda \cdot \mu^{-2} \cdot g) = \mu \cdot f(L, g)$ .
- *Solution:* by taking  $\lambda$  and  $\mu$  so that  $\lambda \cdot L = 1$  and  $\lambda \cdot \mu^{-2} \cdot g = 1$ , we get  $f(L, g) = \text{const} \cdot \sqrt{L/g}$ .
- *Interesting:* we did not use any differential equations.
- *In modern physics:* new theories come in term of symmetries, not diff. equations (starting with quarks).

## 12. Other Types of Clustering

- *What we did*: clustering by values  $x_i$ .
- *More general case*: clustering by the whole pairs  $(x_i, y_i)$ .
- *One possibility*: cluster by similarity between  $x_i$  and  $y_i$ .
- *Example*: conservation laws – e.g., states  $x_i$  and  $y_i$  have the same energy.
- *Interesting*: from the mathematical viewpoint,
  - symmetries are equivalent to
  - conservation laws (the famous Emmy Noether's theorem).
- *Speculative idea*: maybe similar techniques can be used in education research?

## 13. Conclusion

- There is a clear distinction between:
  - *science* that analyzes how things are, and
  - *engineering* that analyzes how to change things.
- This distinction has been practically successful.
- This success can be reasonably convincingly explained:
  - this distinction divided the original hard problem
  - into several simpler problems.
- It is therefore desirable to promote a similar distinction in education.

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