

Why Swarms of Agents Are Better than Clouds?

Ramon Bustamante, Martha Garcia,
Jesus Tovar, and Vladik Kreinovich

Department of Computer Science
University of Texas at El Paso
El Paso, TX 79968, USA

rabustamante2@miners.utep.edu, mgarcia75@miners.utep.edu,
jmtovar2@miners.utep.edu, vladik@utep.edu

[Formulation of the ...](#)

[Our Explanation](#)

[Main Reference](#)

[Home Page](#)

[Title Page](#)

⏪

⏩

◀

▶

Page 1 of 8

[Go Back](#)

[Full Screen](#)

[Close](#)

[Quit](#)

1. Formulation of the Problem

- Expert estimates are often very crude.
- It is known, however, that:
 - if we ask several independent experts to estimate a quantity, and
 - then average the resulting estimates,
 - we often get a reasonably accurate estimate.
- This is the main idea behind *crowd intelligence*.
- It was recently discovered that:
 - if we first divide the experts into small groups,
 - let each group (“swarm”) combine their estimates into a single value,
 - and only average the group results,
 - we get a much more accurate estimate.

Formulation of the...

Our Explanation

Main Reference

Home Page

Title Page



Page 2 of 8

Go Back

Full Screen

Close

Quit

2. Formulation of the Problem (cont-d)

- Why is swarm intelligence better than the crowd intelligence?

Formulation of the...

Our Explanation

Main Reference

Home Page

Title Page



Page 3 of 8

Go Back

Full Screen

Close

Quit

3. Our Explanation

- Let x_1, \dots, x_n be estimates of different experts.
- Let $\rho(x)$ be the probability density function of the expert's approximation error.
- Then, ideally, we should select an estimate a with the largest possible likelihood

$$L \stackrel{\text{def}}{=} \prod_{i=1}^n \rho(x_i - a).$$

- It is known that:
 - when $\rho(x)$ is a normal distribution,
 - maximum likelihood estimate is indeed the arithmetic average

$$a = \frac{1}{n} \cdot \sum_{i=1}^n x_i.$$

Formulation of the ...

Our Explanation

Main Reference

Home Page

Title Page

◀◀

▶▶

◀

▶

Page 4 of 8

Go Back

Full Screen

Close

Quit

4. Our Explanation (cont-d)

- For normal distributions, the maximum likelihood estimate is the arithmetic average.
- However, for other distributions, the maximum likelihood estimate is different from the arithmetic average.
- This explains why the crowd intelligence results are not perfect.
- We allow agents from each swarm s to come to an agreement between themselves.

Formulation of the...

Our Explanation

Main Reference

Home Page

Title Page

◀◀

▶▶

◀

▶

Page 5 of 8

Go Back

Full Screen

Close

Quit

5. Our Explanation (cont-d)

- It is reasonable to assume that:
 - within each swarm,
 - the agents will come up with a maximum likelihood (ML) estimate $a(s)$
 - i.e., an estimate for which the following value is the largest:

$$\prod_{i \in s} \rho(x_i - a(s)).$$

- It is known that:
 - when the number of combined estimates is reasonably large,
 - the ML estimates $a(s)$ are approximately normally distributed.

Formulation of the ...

Our Explanation

Main Reference

Home Page

Title Page

◀◀

▶▶

◀

▶

Page 6 of 8

Go Back

Full Screen

Close

Quit

6. Our Explanation (cont-d)

- When the number of combined estimates is large, the ML estimates $a(s)$ are almost normally distributed.
- Thus:
 - to combine values corresponding to different swarms,
 - we can use the method which is optimal for normal distributions,
 - i.e., taking the arithmetic average.
- Thus, the estimate provided by swarm intelligence is asymptotically equal to the maximum likelihood one.
- It is thus (asymptotically) optimal.

[Formulation of the...](#)

[Our Explanation](#)

[Main Reference](#)

[Home Page](#)

[Title Page](#)

[◀◀](#)

[▶▶](#)

[◀](#)

[▶](#)

Page 7 of 8

[Go Back](#)

[Full Screen](#)

[Close](#)

[Quit](#)

7. Main Reference

- L. Rosenberg, D. Baltaxe, and N. Pescetelli, “Crowds vs. smarms, a comparison of intelligence”, *Proceedings of the IEEE Swarm/Human Blended Intelligence Workshop SHBI’2016*, Cleveland, Ohio, October 21–23, 2016.

Formulation of the...

Our Explanation

Main Reference

Home Page

Title Page



Page 8 of 8

Go Back

Full Screen

Close

Quit